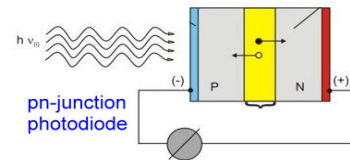
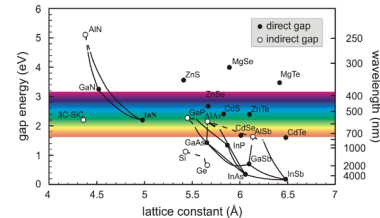
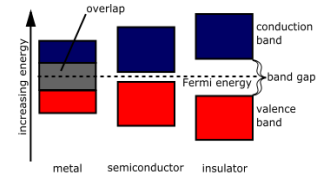
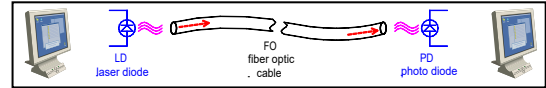


Review Optoelectronics

- ❑ **Optoelectronics for Communications**
High speed, low loss
- ❑ **Spectral Response of Semiconductors**
Energy Gap - E_G
Energy Bands – variety of energy states
- ❑ **Light Emitters**
LED, Laser Diode, Ruby Laser
Change **color** by changing E_G
Change E_G by alloying different materials
- ❑ **Light Detectors – Photovoltaics** Solar cells
Photon energy must exceed the **band gap**
The **Electric Field** in the pn-junction **separates** electrons from the holes



Electronics - PHYS 2371/2



Calendar of Topics Covered

Physics PHYS 2371/2372, Electronics for Scientists
 Don Heiman and Hari Kumarakuru
 Northeastern University, Fall 2020



Also see [Course Description](#) and [Syllabus](#)

This is a schedule of the topics covered, but it may be modified occasionally (10/22/2020).

Week #	Lectures	Weekly Topics (Chs.)	Homework (Ch-Problem)	Lab Experiments (always look for latest version)
VIII Oct 28-30	Wed Lecture Optoelectronics Optoele Lecture	<i>Photodiode, LED, laser</i>	none	Lab-7, Optoelectronics (coupled LED-photodiode) Lab-7 Optoele video
IX Nov 2, 4-6 MON/WED	Mon/Wed Lectures MON Digital-1 Digital-1 Lecture WED Digital-2 Digital-2 Lecture	Digital Logic (Ch-19,22), Binary Numbers (Ch-54) Logical Networks (Ch-20)	19-all, 20-all	Lab-8a, Digital Circuits (truth table, 4-bit decoder) Lab-8a Digital video
X Nov 11-13	Wed Lecture Pulsed ICs Pulsed Lecture	Lecture: Pulsed ICs Digital Summary	21-1/2	Lab-8b, Pulsed Digital (Flip-flops, counter, displays) Lab-8b Pulsed video
XI Nov 18-20 WED EXAM	EXAM-II - Wed Final Project	EXAM-II: Magnetolectronics, Optoelectronics, Digital/Pulsed		Final Project
XII Nov 25-27	No Lecture	Thanksgiving		No Lab
XIII Dec 2	Wed Lecture	Future Electronics		Project PowerPoint due Monday Dec 2 (EG361 or email file)
XIV Dec 7-9	No Classes			

Lecture: Wednesday
Lab: Thursday/Friday

Basic Digital Electronics

Digital Basics

- **Computers**
- **Boolean Algebra**, Ch-19
 - truth tables
 - theorems
- **Logic Gates**
 - OR, AND, NOT, NAND
- **Adders**
 - half, full, 4-bit

- **What is “digital”**
binary – only “0” and “1”; or “F” and “T”
- **Why digital?**
- **How to do math**
Ex. add 2 numbers
Analog – summing amplifier
Digital – voltage is there (1) or not there (0)
- **History of computers**
- **Logic Gates**
AND, OR, NOT
NOR, NAND, XOR, XNOR
- **Half-adder, Full-adder**

Computers

History of Computation

Sumerian abacus < 2500 BCE

Mechanical calculator

Pascal, 1642
(50 prototypes, +-x/)

Difference engine

Charles Babbage, 1832
(**gears**, tabulate polynomials)

Turing Machine (1936)

Alan Turing, *The Imitation Game*
Hypothetical device - Applied "algorithm"
Turing Test (1950) – Can a machine think?

Electrical Computer

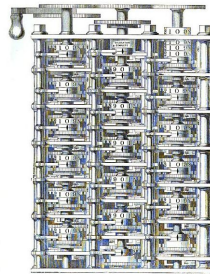
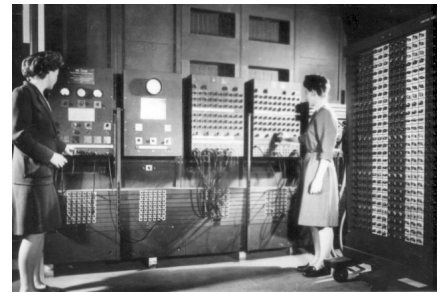
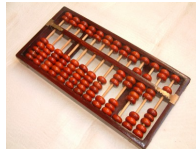
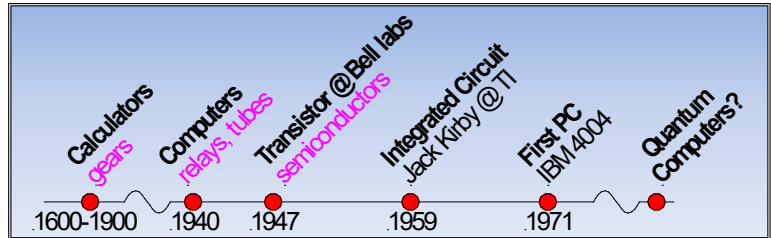
von Neumann architecture, 1945
ENIAC, 1946, (**relays** then **tubes**)

Electronic Computer

1950 → **Semiconductors**

Quantum Computer

Factor/Sorting numbers, Encryption



Scott Adams/Dilbert

Digital Basics, Number systems, Ch-54

Number Systems

- decimal base-10 (figers)
(Egypt-3100 BCE, China-1100 BCE)
- Romans numerals (I, V, X, C, M)
- Hindu-Arabic (0,1,2,3,...9)
(1-4th C; 9th C)
- **binary** (base-2)
- octal base-8 (byte)
- hexadecimal (16)

Byte = 8 bits
 0-255 (1-256)
 $2^8 = 256$
 $2^{10} = 1024 \sim 1000$

Binary System

2^4 2^3 2^2 2^1 2^0
 16 8 4 2 1

Ex. $15_{10} = 8 + 4 + 2 + 1$

$15_{10} = 0 \quad 1 \quad 1 \quad 1 \quad 1_2$

ASCII
 American Standard Code for
 Information Interchange

Each keyboard character
 is represented as one byte

Decimal	4-bit Binary
0	0000
1	0001
2	0010
3	0011
4	0100
5	0101
6	0110
7	0111
8	1000

Boolean Algebra, Ch-19

Represent Boolean numbers

by **A** and **B**,

where **1** \equiv T(true) and **0** \equiv F(false)

Define the Operations

$A+B \equiv A$ **OR** B

$A \cdot B \equiv A$ **AND** B

$\bar{A} \equiv$ **NOT** A

Truth Table

inputs		OR	AND	NOT
A	B	A+B	A·B	\bar{A}
0	0	0	0	1
0	1	1	0	1
1	0	1	0	0
1	1	1	1	0

Theorems

$A+A =$	A
$A \cdot A =$	A
$A+1 =$	1
$A \cdot 1 =$	A
$A+0 =$	A
$A \cdot 0 =$	0
$A+\bar{A} =$	1
$A \cdot \bar{A} =$	0

Operational Properties

Commutative

$A+B = B+A$ (+,·)

Associative

$(A+B)+C = A+(B+C)$

$(A \cdot B) \cdot C = A \cdot (B \cdot C)$

$(A \cdot B)+B \neq A \cdot (B+B)$

Distributive

$(A+B) \cdot C = A \cdot C+B \cdot C$

DeMorgan's Laws

To do all logical operations only need

- **NOT & OR**

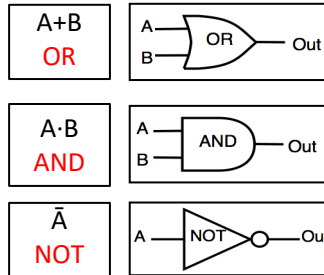
or

- **NOT & AND**

Questions ?

Logic Gates

Logic Gates
have wires
with $V=0$ and $+5\text{ V}$



N=NOT
(over or underline)
Small circle

Reddit.com

“Learning logic gates in Electronics Class”
submitted 2013 by [ThatWeirdPhysicist](#) to [Minecraft](#)

<http://imgur.com/CCQiVmj> - 175,746 views!

<http://imgur.com/mqiDXxu> - 204,667 views!

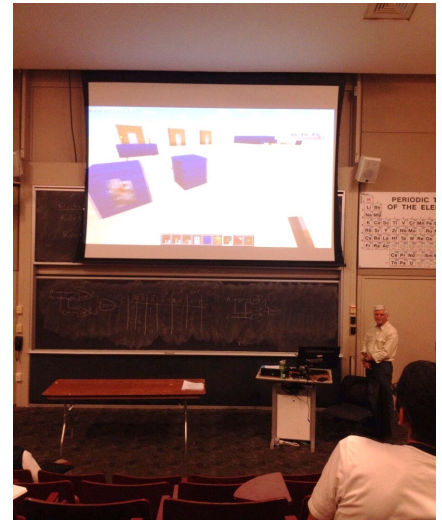
About Andrew

“Call yourself *Professor* from now on.” “Dr. Professor M.D. P.H.D”

Andrew - “Wow, I never thought my video would be used in a university.

This is my youtube channel. Here is the [video](#) that OP watched in class.”

Minecraft Tutorial - Logic Gates



https://www.reddit.com/r/Minecraft/comments/1pk6zl/learning_logic_gates_in_electronics_class/

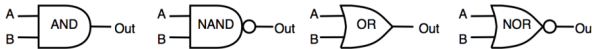
Logic Gates – Additional Operations

Additional NOT operation

- NOT → add small circle

Additional eXclusive operation

- X (exclusive) → add curved line



inputs		AND	NAND	OR	NOR
A	B	$A \cdot B$	$\overline{A \cdot B}$	$A + B$	$\overline{A + B}$
0	0	0	1	0	1
0	1	0	1	1	0
1	0	0	1	1	0
1	1	1	0	1	0

OR	XOR	XNOR
0	0	1
1	1	0
1	1	0
1	0	1

Questions ?

INSIDE LOGIC GATES

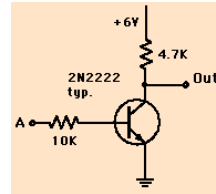
TTL - Transistor-Transistor Logic

$V=0\text{ V}$ and $+5\text{ V}$

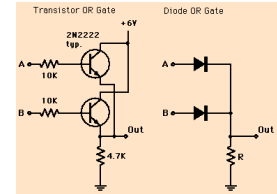
TTL has been the standard logic in most applications for many years.

These comprise the 7400 family of digital ICs.

NOT gate



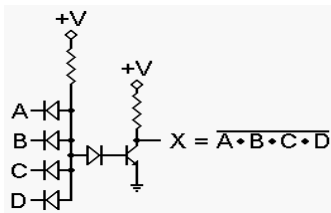
OR gate



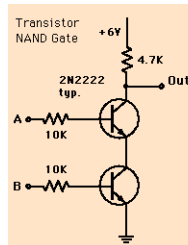
Treat transistors as on/off switches
Treat diodes as high/low resistances

Inside NAND gates

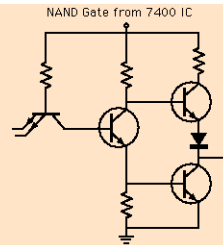
Diodes and a Transistor



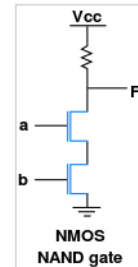
Transistor



7400



NMOS FET



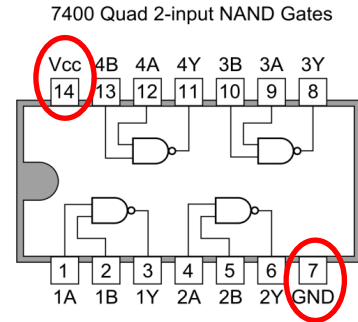
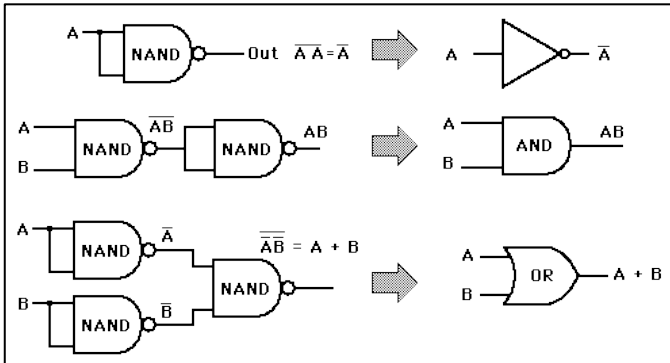
Questions ?

Universal Gate = NAND

Use only NANDS to create other gates

A·B

“any 0 gives a 1”



All chips need to be powered with +5 V and a ground.

Example Problems – Digital Circuit

Given a **circuit** of logic gates, construct the **Truth Table**

See slide 8

Ch-19, problem 3

Construct the truth table for the output using OR/AND/NOT gates.

What is the circuit?

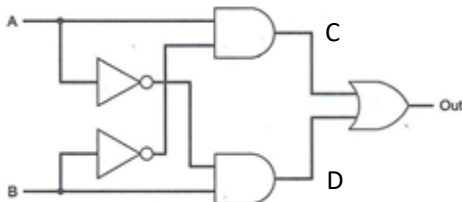


FIGURE 19-13 The circuit for Problem 19-3.

inputs		OR	XOR	XNOR
A	B			
0	0	0	0	1
0	1	1	1	0
1	0	1	1	0
1	1	1	0	1



Example Problems – Digital Circuit

What is the circuit?

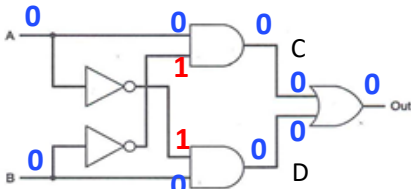


FIGURE 19-13 The circuit for Problem 19-3.

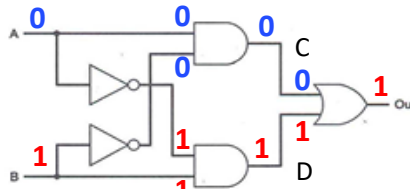


FIGURE 19-13 The circuit for Problem 19-3.

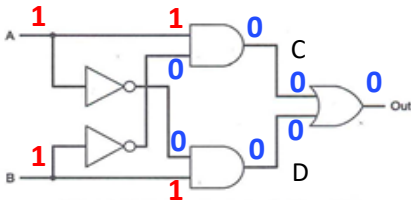


FIGURE 19-13 The circuit for Problem 19-3.

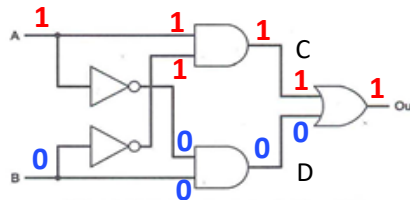


FIGURE 19-13 The circuit for Problem 19-3.

inputs		OR	XOR
A	B		
0	0	0	0
0	1	1	1
1	0	1	1
1	1	1	0

[P6d Combining and using logic gates](#) 0-3:00 (8:06)

Half Adder - Binary Math with Gates

Example

Add $5_{10} + 3_{10} = 8_{10}$

$A = 5_{10} = 0101_2 = a_3 + a_2 + a_1 + a_0$

$B = 3_{10} = 0011_2 = b_3 + b_2 + b_1 + b_0$

sum = $s_3 + s_2 + s_1 + s_0$

$s_0 = a_0 + b_0 = 1 + 1 = 0$

carry, $c_1 = 1$

$s_1 = a_1 + b_1 + c_1 = 0 + 1 + 1 = 0$

carry, $c_2 = 1$

$s_2 = a_2 + b_2 + c_2 = 1 + 0 + 1 = 0$

carry, $c_3 = 1$

$s_3 = a_3 + b_3 + c_3 = 0 + 0 + 1 = 1$

$A = 0 \ 1 \ 0 \ 1$

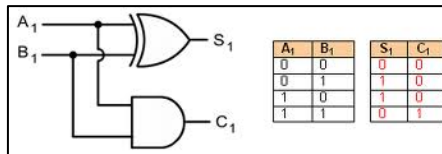
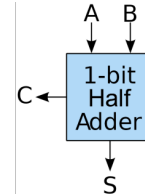
$B = 0 \ 0 \ 1 \ 1$

$S = 1 \ 0 \ 0 \ 0$

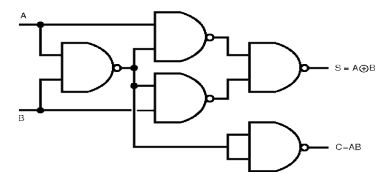
sum = $1000_2 = 8_{10}$

Half Adder = simple adder for 2 binary digits

Simply add two digits
 $a_0 + b_0 = s_0$
 $1_2 + 1_2 = 10_2$
 $s_0 = 0$ and $c_1 = 1$ (carry)



XOR equivalent using only 5 NAND gates →
 (can be done with 4)



Full Adders

Example

Add $5_{10} + 3_{10} = 8_{10}$

$A = 5_{10} = 0101_2 = a_3 + a_2 + a_1 + a_0$

$B = 3_{10} = 0011_2 = b_3 + b_2 + b_1 + b_0$

$sum = s_3 + s_2 + s_1 + s_0$

$s_0 = a_0 + b_0 = 0 + 1 = 1$

carry, $c_1 = 1$

$s_1 = a_1 + b_1 + c_1 = 0 + 1 + 1 = 0$

carry, $c_2 = 1$

$s_2 = a_2 + b_2 + c_2 = 1 + 0 + 1 = 0$

carry, $c_3 = 1$

$s_3 = a_3 + b_3 + c_3 = 0 + 0 + 1 = 1$

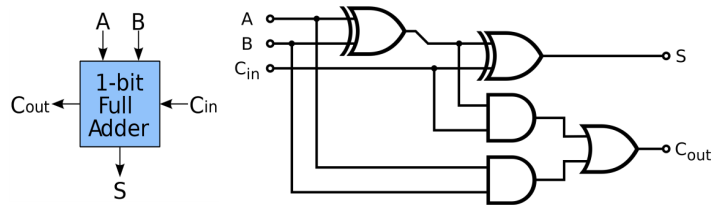
$A = 0\ 1\ 0\ 1$

$B = 0\ 0\ 1\ 1$

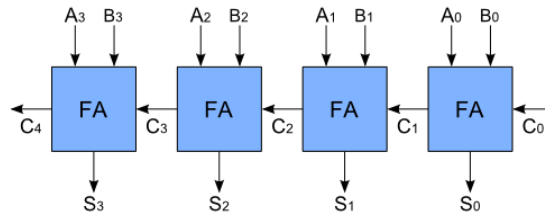
$S = 1\ 0\ 0\ 0$

sum = $1000_2 = 8_{10}$

Full Adder = half adder + carry in



4-bit Adder = 4 Full Adders



Questions ?

Videos

DIGITAL BASICS

Minecraft Tutorial - Logic Gates - AND, OR, NOT (stop at 1:40)

<http://www.youtube.com/watch?v=4SkI88bH07g>, 7:50

Create digital circuits online or download

<http://logic.ly/>; Do problem A AND B

Logisim, free digital circuit simulator

<http://www.youtube.com/watch?v=ATPqpFMIVdw>, intro (7:45)

Wiring digital IC, (view 3:40-6:15)

<http://www.youtube.com/watch?v=cdMJvFT-Afc&feature=related>, start 2:28-6:15

logic.ly

Switch up/dn = 1/0

Filament white = 1

Lab-8a, Digital Circuits

- I. Test digital logic gates using inputs of **0** or **+5 V**.
Determine output using **LED** and current-limiting resistor.
- II. Measure the truth table of a unknown gates.
Construct an XOR gate using only a 4-gate 7400 NAND gate.
- III. Design and construct a 4-bit decoder
Miniterms 3, 11 and 13

Wiring digital IC, (view 3:40-6:15)

<http://www.youtube.com/watch?v=cdMJvFT-Afc&feature=related>, start 2:28-6:15

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